

## **STUDIES ON THE STRUCTURES OF $B_8H_8^{2-}$**

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### **INTRODUCTION**

Of all the closo-boranes studied only  $B_8H_8^{2-}$  and  $B_{11}H_{11}^{2-}$  are found to be fluxional [1]. King [2] in his review defined the criteria for fluxionality in boranes according to which a fluxional borane is one, one or more edges of which are degenerate. This is also experimentally verified by the temperature dependent  $B^{11}$  NMR spectra which at low temperature, show several peaks but at higher temperature the peaks coalesce into a single one [3].  $B_8H_8^{2-}$  fits into these criteria and is therefore fluxional.

After the synthesis of neutral boranes by stock [4], many boranes have been found to be stable by theoretical studies. The molecule  $B_8H_8^{2-}$  is of interest as it exists in different forms under different conditions. It is a slightly distorted dodecahedron ( $D_{2d}$ ) in solid state as shown by X-ray diffraction studies of tetraammine Zn-salt [5,6], while in polar solvents it exists in square antiprismatic form ( $D_{2d}$ ) as suggested by the single signal in  $B^{11}$  NMR [7], and in less polar solvents it exists as a bicapped trigonal prism ( $C_{2v}$ ), as seen by the presence of three peaks (in the ratio 2:4:2) in NMR.

Earlier it was thought that structures of symmetries  $C_{2v}$  and  $D_{4d}$  were stable and the  $D_{2d}$  structure is a high energy form [8], but recent theoretical studies showed only two stable low energy forms of  $B_8H_8^{2-}$  namely of  $C_{2v}$  and  $D_{2d}$  symmetries, which are also experimentally observed and the existence of a  $D_{4d}$  form was put in doubt [9]. Kleier and Lipscomb optimized the  $D_{2d}$  structure and their calculations yielded a slightly more compact geometry for  $B_8H_8^{2-}$  than predicted by X-Ray structure [8], and  $C_{2v}$  and  $D_{2d}$  structures were predicted not to be thermodynamically stable. Bausch et al optimized the three different structures at HF level and found the stability order  $D_{2d} > C_{2v} > D_{4d}$  in agreement with earlier PRDDO results [10,11]. The  $D_{4d}$  structure was found not to be the true minima due to the presence of imaginary frequencies in vibrational analysis [12]. Frequency calculations showed  $D_{2d}$  and  $C_{2v}$  symmetry structures to be true minima as they have no imaginary frequencies. These workers also found the  $D_{4d}$  structure to have two imaginary frequencies. Studies at DFT level by King [13]

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predicted only  $C_{2v}$  and  $D_{2d}$  structures to be stable with low energies and no imaginary frequencies. Two other structures of higher energies were also found, one of  $D_{6h}$  symmetry and other of the shape of “kite”.

## COMPUTATIONAL METHODS

The geometries were optimized at Hartree Fock and DFT (B3LYP) levels using 6-31G, 6-31G\*\*, 6-31++G\*\*, D95V and D95V\*\* basis sets. The calculations were carried out using Gaussian 98. Frequencies calculations were also done along with the structure optimization. The optimized structures for  $B_8H_8^{2-}$  are given in fig. 1, and the energies of the different forms of  $B_8H_8^{2-}$  at RHF level using different basis sets are given in table 1, and at B3LYP level are given in table 2. The relative energies of different forms of  $B_8H_8^{2-}$  in kCal/mol at RHF and B3LYP level are given in table 3 and 4 respectively.

## RESULT AND DISCUSSION

We optimized different forms of  $B_8H_8^{2-}$  so as to confirm the sequence of energies of different forms. The different forms were optimized at Hartree-Fock and then at DFT level, using 6-31G, 6-31G(dp), 631++G(dp), D95V, D95V(dp) and frequency calculation at optimum geometry were performed to verify that the structure corresponds to a true minima and showed that of the low energy forms the  $D_{2d}$  structure is more stable than the  $C_{2v}$  form. In earlier calculations by Bausch[12] a structure of  $D_{4d}$  symmetry was found to have two imaginary frequencies, but in the present work we have obtained  $D_{4d}$  structure different from Busch geometry which corresponds to a true minima, with all positive frequencies. Another form of  $D_{6h}$  symmetry was obtained to be a true local minimum, lower than  $D_{4d}$  symmetry and geometry with two fused pentagons of  $C_i$  symmetry was also found but is of higher energy, a kite like structure with no symmetry was also found, and all the above mentioned structures were true minima. In our work the  $D_{6h}$  structure is more stable than  $D_{4d}$  form. Earlier results of Kleier and Lipscomb at PRDDO level gave the reverse order. The various structures are shown in fig. 1. The energies obtained at RHF and DFT/B3LYP levels are shown in table 1. The overall order of stability is unaffected by choice of level basis sets and may be given as:

$$D_{2d} > C_{2v} > D_{6h} > C_1(\text{kite}) > D_{4d} > C_i(\text{butterfly}).$$

The molecule  $B_8H_8^{2-}$  is fluxional and exists in different forms as predicted earlier[1], our calculations also gave the same results. Our work shows that the two forms  $D_{2d}$  and  $C_{2v}$  of  $B_8H_8^{2-}$  molecule are interconvertible into each other. The calculations were done at two different levels, HF and DFT using the basis sets 6-31G, 6-31G\*\* and D95V.

## CONCLUSION

**A** stable form of  $B_8H_8^{2-}$  of  $D_{4d}$  symmetry has been identified for the first time. The energy barrier for the inter-conversion of the fluxional forms of  $C_{2v}$  and  $D_{2d}$  symmetries is seen to be very low. Several structures of high energies are also characterized.  $D_{6h}$  is also found to be a stable form of  $B_8H_8^{2-}$  with no imaginary frequency. Structures of the symmetries  $D_{3d}$ ,  $D_{3h}$  and  $O_h$  are highly unstable. A structure with no symmetry is also found to be stable, we have given it the name “kite”.

**Table 1: Energies of different forms of  $B_8H_8^{2-}$  at RHF level in Hartrees using different basis sets**

Basis sets	C2V	D2D	D6H	Kite (C1)	D4d
6-31G	-201.9022764	-201.9052915	-201.8227304	-201.7582111	-201.7432877
6-31G**	-202.0035219	-202.0082699	-201.9158529	-201.8755596	-201.8067114
6-31++G**	-202.0229784	-202.0273609	-201.9362855		-201.8554081
D95V	-201.9168973	-201.9200326	-201.8385213	-201.7809082	-201.7756415
D95V**	-202.0212798	-202.0267125	-201.9360498	-201.8986911	-201.8459113

**Table 2: Energies of different forms of  $B_8H_8^{2-}$  at RHF level in Hartree using different basis sets**

Basis sets	C2V	D2D	D6H	Kite (C1)	D4d
6-31G	-203.5572085	-203.5603055	-203.479188	-203.4344876	-203.3824336
6-31G**	-203.6244624	-203.6288553	-203.5416683	-203.4999347	-203.4210516
6-31++G**	-203.657881	-203.6624621	-203.5772482		-203.4684194
D95V	-203.560321	-203.5642894	-203.4859837	-203.4433195	-203.3910838
D95V**	-203.6282943	-203.6334534	-203.5500747	-203.5115122	-203.4360556

**Table 3: Energies of different forms of  $B_8H_8^{2-}$  at RHF level in kCal/mol using different basis sets**

Structures	6-31G	6-31G**	6-31++G**	D95V	D95V**
$D_{2d}$	0	0	0	0	0
$C_{2v}$	1.89	2.98	2.75	1.96	3.41
$D_{6h}$	51.80	57.99	57.15	51.15	56.89
$C_1$ (kite)	92.29	83.27		87.30	80.33
$D_{4d}$	101.66	126.48	105.90	90.60	113.45

**Table 4: Energies of different forms of  $B_8H_8^{2-}$  at B3LYP level in kCal/mol using different basis sets**

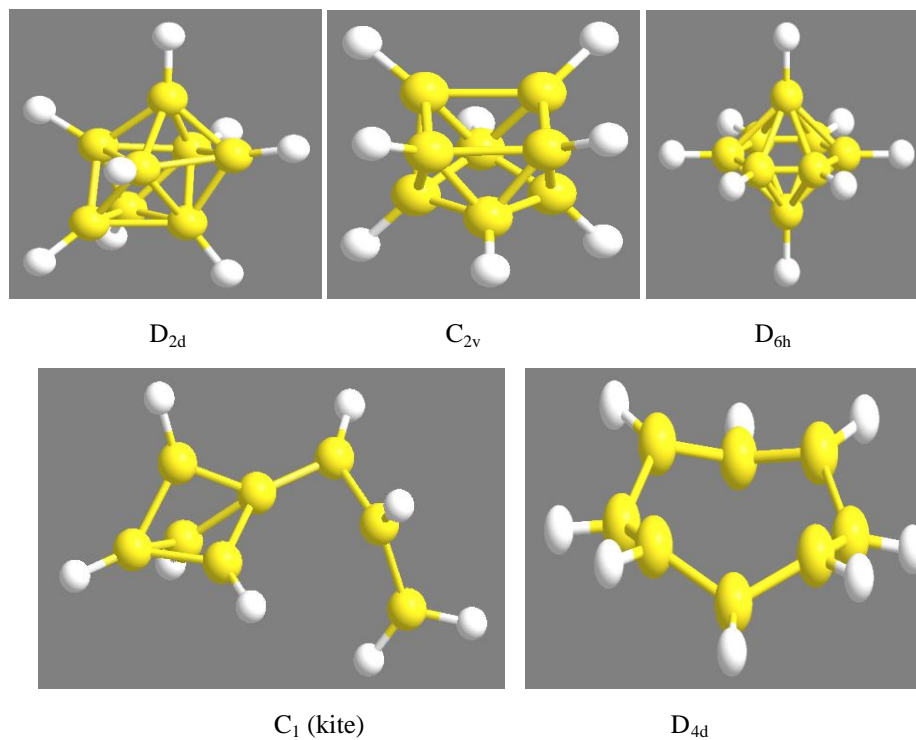
Structures	6-31G	6-31G**	6-31++G**	D95V	D95V**
$D_{2d}$	0	0	0	0	0
$C_{2v}$	1.94	2.75	2.87	2.49	3.23
$D_{6h}$	50.90	54.71	53.47	49.14	52.32
$C_1$ (kite)	78.95	80.89		75.91	76.52
$D_{4d}$	111.61	130.39	121.76	108.68	123.87

**Table 5: Energies barriers of  $B_8H_8^{2-}$  at RHF level**

Structures	6-31G	6-31G**	D95V
$D_{2d}$ - T.S.	2.04	3.03	1.99
$C_{2v}$ - T.S.	0.15	0.05	0.03

**Table 6: Energies barriers of  $B_8H_8^{2-}$  at B3LYP level**

Structures	6-31G	6-31G**
$D_{2d}$ - T.S.	2.14	2.82
$C_{2v}$ - T.S.	0.20	0.07

**Fig. 1**

**R**EFERENCES

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